

ECE264: Advanced C Programming

Summer 2019

Week 6: Exam2 Review, Priority Queues, Trees, Binary
Trees

Segmentation Faults

- Cause 1: Invalid memory access
 - Accessing memory at address 0 (i.e. dereferencing a NULL pointer)
 - Accessing memory out of scope (dereferencing address of a variable outside where it is defined)
 - Accessing memory that we no longer own (i.e. dereferencing pointer that is freed)
 - Accessing uninitialized pointer
- Cause 2: Using up all the memory
 - Example: stack overflow

Example: using memory after **free**

- Releasing memory allocated to a linked-list

```
void DeallocateList(Node* head) {  
    Node* temp;  
    for(temp=head;temp!=NULL;temp=temp->next) {  
        free(temp);  
    }  
}
```

Example: using up all memory

- Factorial

$$n! = \begin{cases} n \times (n-1)! & \text{when } n \geq 1 \\ 1 & \text{when } n = 0 \text{ // factorial of} \\ & \text{negative numbers not defined.} \end{cases}$$

```
int factorial(int n) {
    if(n == 0)
        return 1;
    else
        return n * factorial(n-1);
}
```

Segmentation Faults – Preventive Measures

- If a pointer is returned, always check the return value for NULL
- Always initialize pointers to NULL
- Set pointers to NULL after freeing

Priority Queues (brief intro)

- Special types of queues: every item in the queue has a priority associated with it
- Enqueuing is same (as in normal queues)
- Dequeuing is different:
 - item with higher priority is dequeued before one with lower priority
 - If two items have same priority, the item that is ahead (closer to head) in queue is dequeued first

Priority Queues (insertion)

PriorityQueue pq={.head = NULL, .tail=NULL};

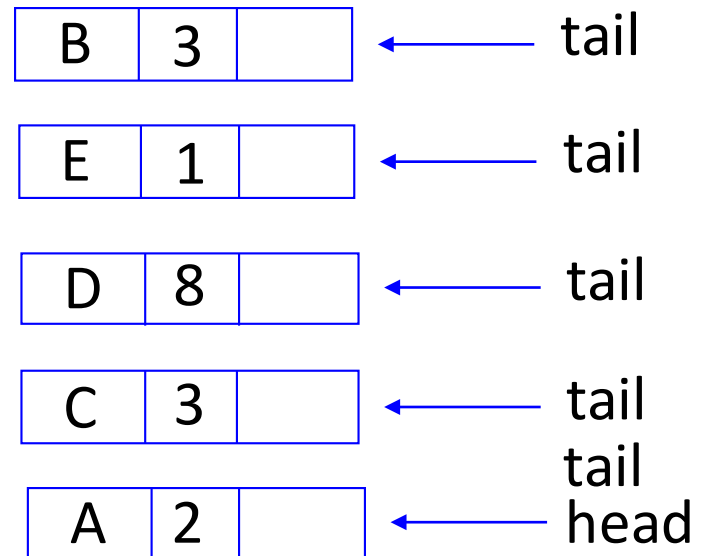
Enqueue(&q, <A,2>) //<X,Y>: X is data, Y is priority, larger Y indicates higher priority

Enqueue(&q, <C,3>)

Enqueue(&q, <D,8>)

Enqueue(&q, <E,1>)

Enqueue(&q, <B,3>)



Priority Queues (deletion)

```
PriorityQueue pq={.head = NULL, .tail=NULL};
```

```
Enqueue(&q, <A,2>) //<X,Y>: X is data, Y is priority, larger Y  
                  indicates higher priority
```

```
Enqueue(&q, <C,3>)
```

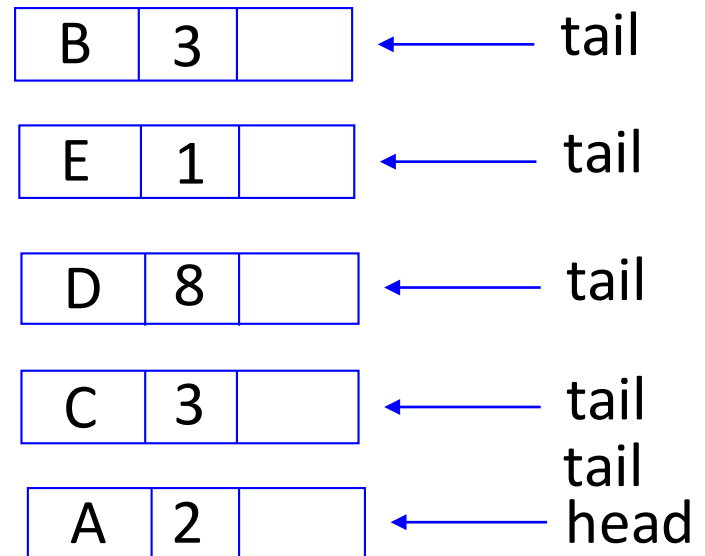
```
Enqueue(&q, <D,8>)
```

```
Enqueue(&q, <E,1>)
```

```
Enqueue(&q, <B,3>)
```

```
retval=Dequeue(&q) //gets  
highest priority element = D
```

```
retval=Dequeue(&q) //returns C,  
since B is ahead in queue order
```



- Applications:
 - CPU assignment to processes
 - Computing shortest paths

Represented as trees

Trees

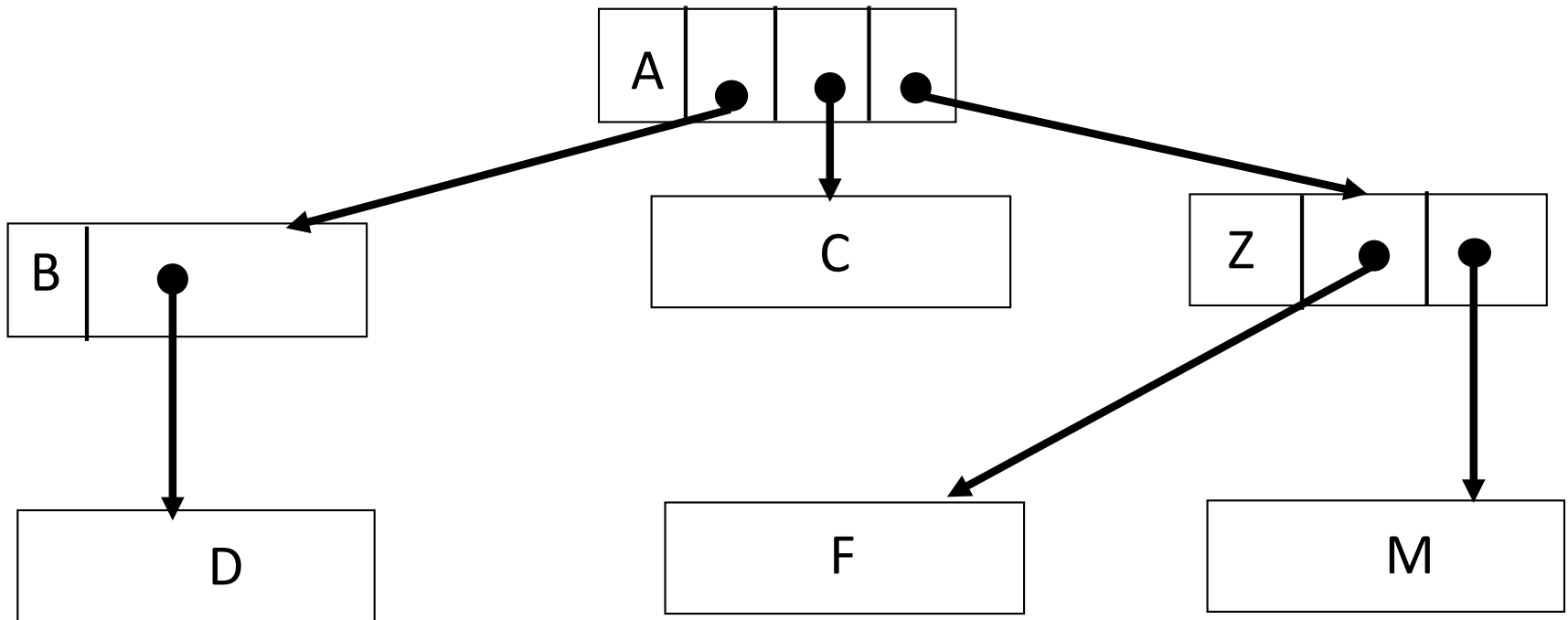
- Linked Lists, Stacks, Queues are linear data structures
 - One item follows another
- Trees are non-linear data structures (also called as hierarchical data structures)
 - More than one item can follow an item
 - The number of items that follow can vary from item to item

Trees

- Uses:
 - Organizing files in a disk
 - Simulating galaxies
 - Suggesting items bought together in a web shopping (e-commerce) portal

Trees - representation

- As a set of nodes connected on a plane:



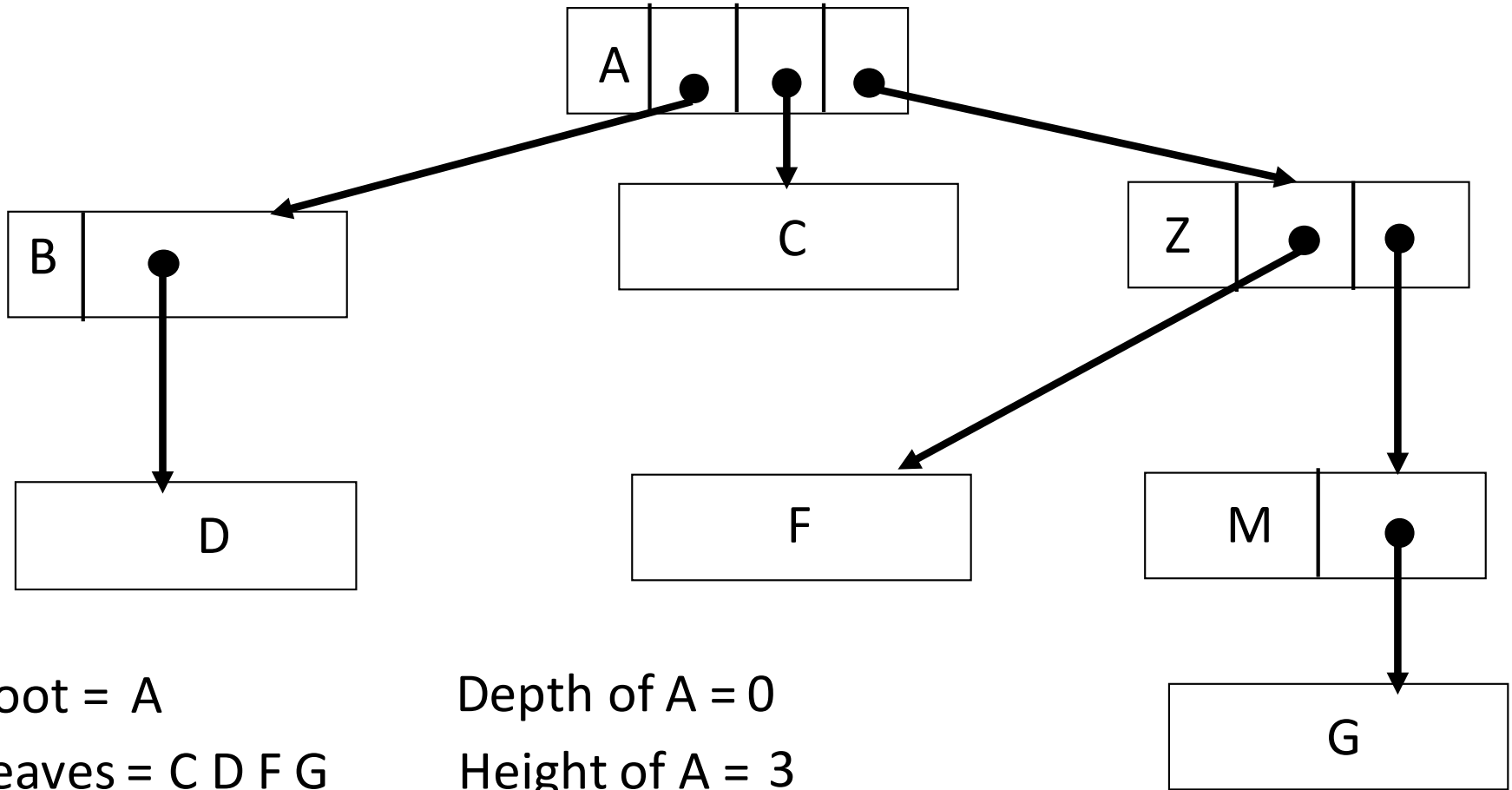
Trees - terminology

- Elements of a tree: nodes and edges
 - A node holds data and connections (references) to other nodes
 - An edge connects two nodes
- Every node connected by an edge from exactly one node (parent)
- Each node can be connected to any number of nodes (children)

More terminology

- **Root:** node at the top
- **Leaves:** bottom most nodes
- **Depth of a node (level):** number of edges from root to the node
- **Path in a tree:** sequence of zero or more connected nodes. **Path length** is the number of edges in the path*
(Alternative definitions exist).
- **Height of a node:** number of edges from the node to the deepest leaf

Exercise



Root = A

Depth of A = 0

Leaves = C D F G

Height of A = 3

Depth of F = 2

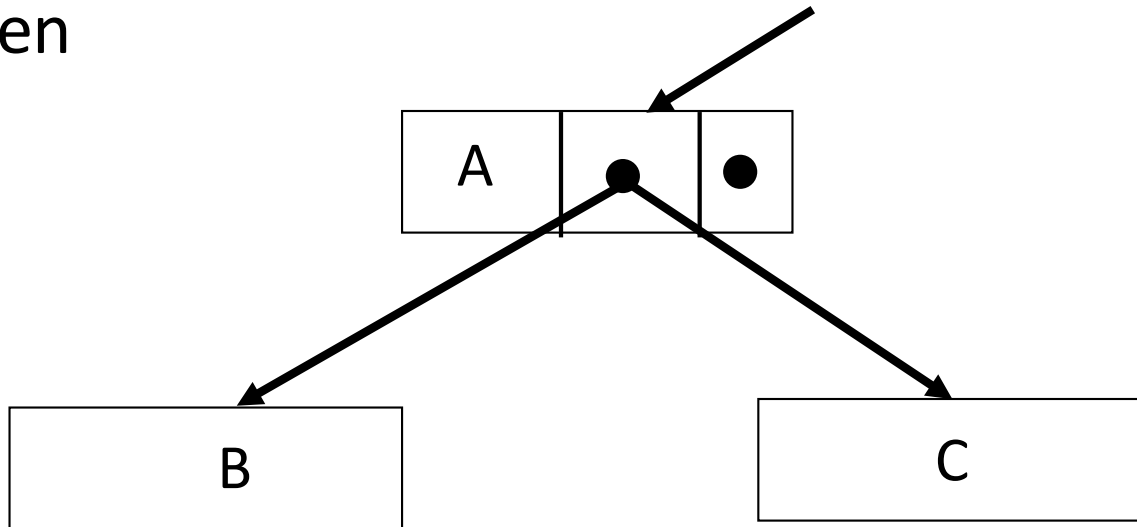
Height of Z = 2

Path length from D to G = ?

Path length from Z to G = 2

Binary Trees

- Trees with at most two children per node
- Given



- A is parent, B and C are children, B is left child, C is right child.

- **Subtree of a node:** includes one of node's children and all of its *descendants*
- **Descendants of a node:** all nodes reachable from that node

Binary tree traversals

- Process of visiting *all* nodes in the tree
- Why?
 - To print all values
 - To check nodes with interesting properties
- Order
 - Breadth-first
 - Depth-first
 - Preorder, inorder, postorder