#### ECE264: Advanced C Programming

Summer 2019

Week 3: Recursion

#### Recursion

Function calling itself!

```
int factorial(int n)
{
    if(n == 0)
        return 1;
    else
        return n * factorial(n-1);
}
```

#### Recursion

- Better to think of recursion as a problem solving technique rather than a programming principle.
- A common pattern in problem solving:
  - 1. Break the problem into smaller problems
  - 2. Apply the same function to solve the smaller problems
  - 3. Use the solutions created in previous step to solve original problem

#### Recursion

- Is the pattern never ending?
   No.
- Repeating the process creates smaller and smaller problems. Eventually, the problem becomes *trivial* to solve.

trivial problem = base case

```
• n! is just n * (n-1)!
Break the problem into smaller version of the same problem
(step 1)
 int factorial(int n)
       if(n == 0)
             return 1;
       else
             return n * factorial(n-1);
```

• call factorial again to solve the smaller problem Solve the smaller problem by calling the same function (step 2)

```
int factorial(int n)
{
    if(n == 0)
        return 1;
    else
        return n * factorial(n-1);
}
```

 Multiply the result of previous step (calling factorial(n-1)) by n to find factorial(n)

Use the solution of the smaller problem to solve the original problem (step 3)

```
int factorial(int n)
{
    if(n == 0)
        return 1;
    else
        return n * factorial(n-1);
}
```

• The base case is simple: we know that factorial(0) = 1int factorial(int n) if(n == 0)return 1; else return n \* factorial(n-1); }

## Why recursive codes?

- Intuitive
  - Easier way to think of a solution
- Sometimes, the only way to effectively solve a problem!

## Why recursive codes work?

- Think *inductively:* 
  - Assume that the recursive function already works, but...
     only on smaller problems than the original problem
  - Write recursive function for the original problem assuming it works
  - Write correct base case

## Why recursive codes work?

- Factorial example:
  - Assume that factorial(n-1) works
  - If we have (n-1)!computing n! is easy: just multiply by n
  - Make sure that there exists a working base case: provide answer to the smallest argument passed to factorial

# Divide-and-Conquer – A common recursive pattern

Computing sum of array elements – toy example

```
int sum(int * arr, int nels)
{
    if (nels == 1)
        return arr[0];
    int sum1 = sum(arr, nels/2);
    int sum2 = sum(&arr[nels/2], (nels + 1)/2);
    return sum1 + sum2;
}
```

# Divide-and-Conquer – A common recursive pattern

Computing sum of array elements – toy example

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int sum(int * arr, int nels)
{
    if (nels == 1)
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}
```

## Divide-and-Conquer

- A problem can be broken into two or more smaller problems of similar or related type
- More realistic examples:

Quicksort, Merge sort, finding closest pair of points

#### Recursion – observations

- Can have multiple base cases
  - Fibonacci series
- Tail recursion
  - Factorial

## Using gdb to understand recursion

#include<stdio.h> Demo int foo(int n) int retval = n; if (n == 0)return 1; retval = retval \* foo(n-1); return retval; int main() int x = foo(5); printf("foo(5)= $%d\n$ ",x);

#### Recursive vs. iterative codes

```
int sum(int * arr, int nels)
      if (nels == 1)
             return arr[0];
       int sum1 = sum(arr, nels/2);
       int sum2 = sum(arr[nels/2], (nels + 1)/2);
      return sum1 + sum2;
int sum(int * arr, int nels)
      int total=0;
       for(int i=0;i<nels;i++)</pre>
             total += arr[i];
      return total;
```

## Using gdb to understand recursion

Tail recursion and its implementation advantages

#### Recursion - Exercise

 What happens in memory when recursion never terminates?